

**Check for understanding: Match:**

x-intercept and type

factor

Polynomial

start / end

\_\_\_\_\_ (9,0) simple

A.  $x^2$

\_\_\_\_\_  $y = -x^2$

A. up / up

\_\_\_\_\_ (-9,0) bouncing

B.  $(x-9)^3$

\_\_\_\_\_  $y = 3x^2 - 7$

B. down / down

\_\_\_\_\_ (9,0) flat

C.  $(x-9)^2$

\_\_\_\_\_  $y = 2x^3$

C. down / up

\_\_\_\_\_ (0,0) simple

D.  $(x^3)$

\_\_\_\_\_  $y = -4x^3 + 2x^2$

D. up / down

\_\_\_\_\_ (0,0) bouncing

E.  $(x-3)$

\_\_\_\_\_  $y = (x+3)(x-7)$

\_\_\_\_\_ (0,0) flat

F.  $(x+9)^2$

G.  $x$

H.  $(x-9)$

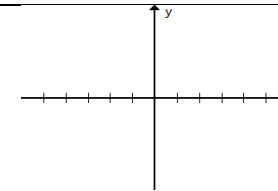
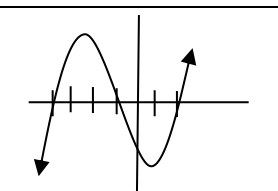
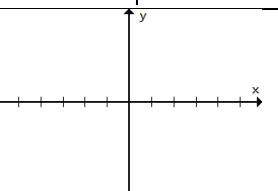
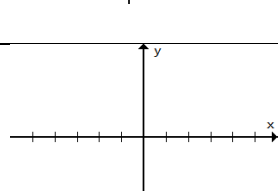
I.  $(x+9)$

J.  $(x+9)^3$

\_\_\_\_\_  $y = -3(x-7)^2(x+1)$

**Practice: C-Level**

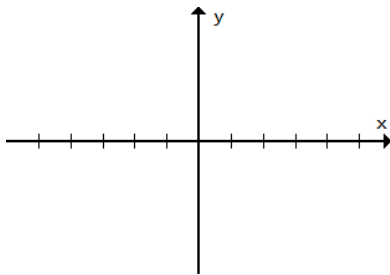
Complete the chart without a calculator. Use a calculator or Desmos only to check your work.

An equation (Factored Form)	Leading term		x-intercepts		End behavior		Sketch a graph
	Is "a" positive or negative	degree	point	type	start	final	
$y = (x-4)(x+5)$							
							
			(-3,0)	simple	up	down	
			(1,0)	simple			
			(5,0)	simple			
	positive	3	(-2,0)				

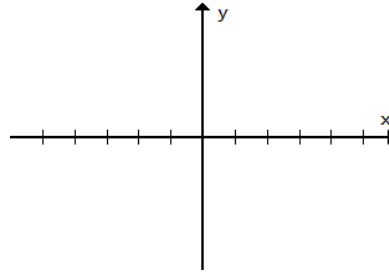
An equation (Factored Form)	Leading term		x-intercepts		End behavior		Sketch a graph
$y = (x+1)^2(x-4)$							
$y = -(x-1)(x-2)(x-3)$							

2. Sketch the graph of each of the following polynomials without a calculator.

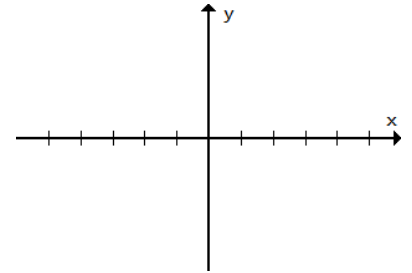
a.  $f(x) = -3(x-4)^2$



b.  $f(x) = (x+3)^2(x-1)$

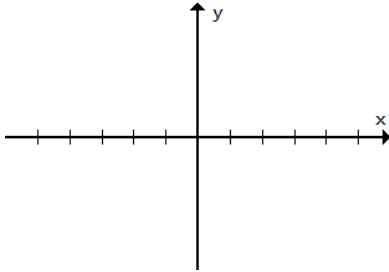


c.  $f(x) = -5(x+5)(x-1)(x-2)$

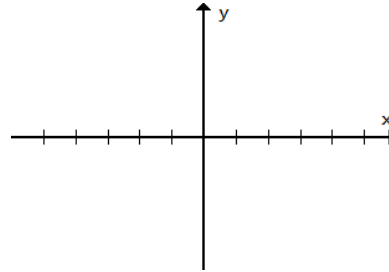


Looking ahead (to get a stamp you must attempt one of each type below):

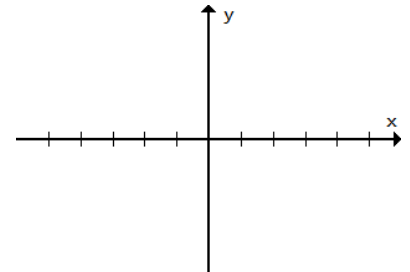
d.  $f(x) = 2(x+4)^5$



e.  $f(x) = -x(x-4)^2(x+2)$

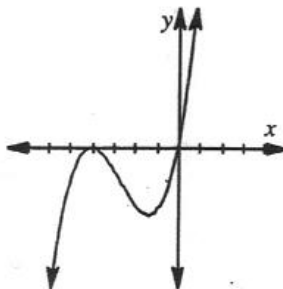


f.  $f(x) = (x-4)^3(x+3)(x+5)$

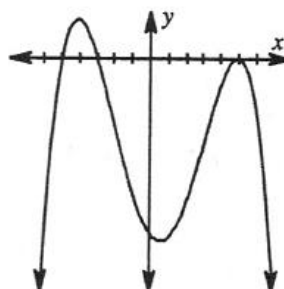


Write a possible equation for the polynomials graphed below.

8.



9.



10.

